



**SUBJECT:-PHYSICS**  
**CHAPTER:-MOTION**  
**Class IX**

**TOPIC : EQUATIONS OF MOTION**

**GUIDELINES :**

Dear students,

- There are three assignments:
  - Assignment 11: Based on first equation of motion
  - Assignment 12: Based on second equation of motion
  - Assignment 13: Based on third equation of motion
- Solve the assignments in a separate Physics notebook.
- Suitable Video links have been provided for better understanding of the concept.

<https://youtu.be/qD3zHo6QEdM>

- Do read NCERT too for better understanding of these concepts

NCERT LINK FOR THE CHAPTER:

<http://ncert.nic.in/textbook/textbook.htm?iesc1=8-15>  
(page no 107,108,109)

**SUBTOPICS:** Equations of motion

**a)  $v=u+at$**

**b)  $S=ut+ \frac{1}{2} at^2$**

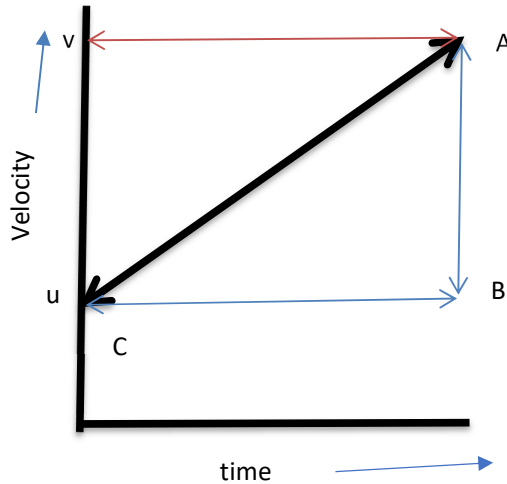
**c)  $v^2-u^2 = 2as$**

## DERIVATIONS:

Let us consider an object moving in a straight line with an **initial velocity  $u$  m/s**, attaining **finally a velocity of  $v$  m/s** in **time  $t$  sec**, after being **accelerated through a  $m/s^2$**

During this time, it **covers a distance of  $S$  m**

**Graphically this motion can be represented as follows:**



Please note:

- All the three equations of motion can be derived with reference to this scenario.
- These equations of motion relate various physical quantities like  $u, v, a, t$  and  $S$ .
- These equations are valid for uniformly accelerated motion.

**Now let us derive the equations:**

**A) FIRST EQUATION OF MOTION**

$$v = u + at$$

**The slope of v-t graph of a moving object determines its acceleration**

In the above plotted graph

$$a = \text{Slope of v-t graph} = AB/BC$$

$$AB = v - u$$

$$BC = t$$

$$\text{Hence } a = (v - u)/t$$

Or,

$$v = u + at$$

Hence, derived

**NOW SOLVE THIS ASSIGNMENT:**

**ASSIGNMENT 11**

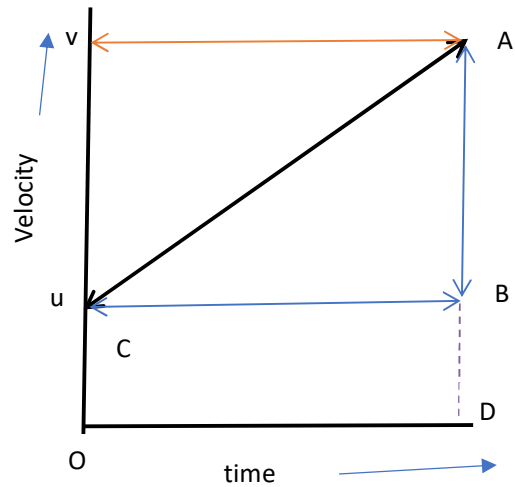
1. Derive the first equation of motion for a uniformly accelerated body.
2. A ball accelerated by  $2 \text{ m/s}^2$  experiences the increase in its velocity from  $5 \text{ m/s}$  to  $10 \text{ m/s}$ . In what time did it experience this change?

## B) SECOND EQUATION OF MOTION:

$$S = ut + \frac{1}{2} at^2$$

**Concept used:**

**Area under v-t graph gives the displacement/ distance covered by an object.**



$$S = \text{Area of rectangle OCBD} + \text{AREA OF TRIANGLE ABC}$$

$$= BD \times OD + \frac{1}{2} AB \times BC$$

$$= ut + \frac{1}{2} (v-u) \times t$$

$$\text{Note: } (v-u = at)$$

$S = ut + \frac{1}{2} at^2$  , Hence, derived.

### ASSIGNMENT 12

1. Derive the second equation of motion graphically for a body under uniformly accelerated motion.
2. A ball is thrown up with a velocity of 10m/s. In what time will it reach the highest point of its journey? Find the highest point of its journey. (take  $a=g= 10\text{m/s}^2$ )

**c) THIRD EQUATION OF MOTION:**

$$v^2 - u^2 = 2as$$

**Concept used:**

**Area under v-t graph gives the displacement/ distance covered by an object.**

**S= Area of trapezium OBAC**

$$= \frac{1}{2} \times (\text{sum of parallel sides}) \times \text{height}$$

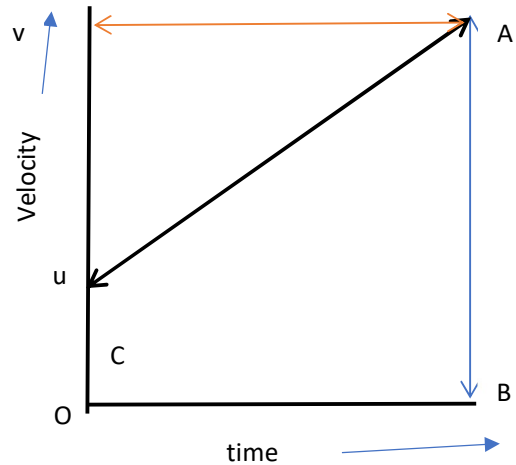
$$= \frac{1}{2} \times (OC + AB) \times OB$$

$$= \frac{1}{2} \times (u+v) \times t$$

$$= \frac{1}{2} \times (u+v) \times (v-u) / a$$

$$= \frac{1}{2} \times (v^2 - u^2) / a$$

**$v^2 - u^2 = 2as$ , Hence Derived**



## ASSIGNMENT 13

1. Derive the following expression, where symbols have their usual meaning.

$$\mathbf{v^2 - u^2 = 2as}$$

2. An object moves along a straight line with an acceleration of 2 m/s<sup>2</sup>. If its initial speed is 10 m/s, what will be its speed 2 s later?
3. A bullet hits a Sand box with a velocity of 20 m/s and penetrates it up to a distance of 6 cm. Find the deceleration of the bullet in the sand box.

STAY HOME STAY SAFE